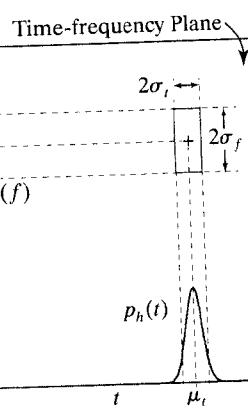
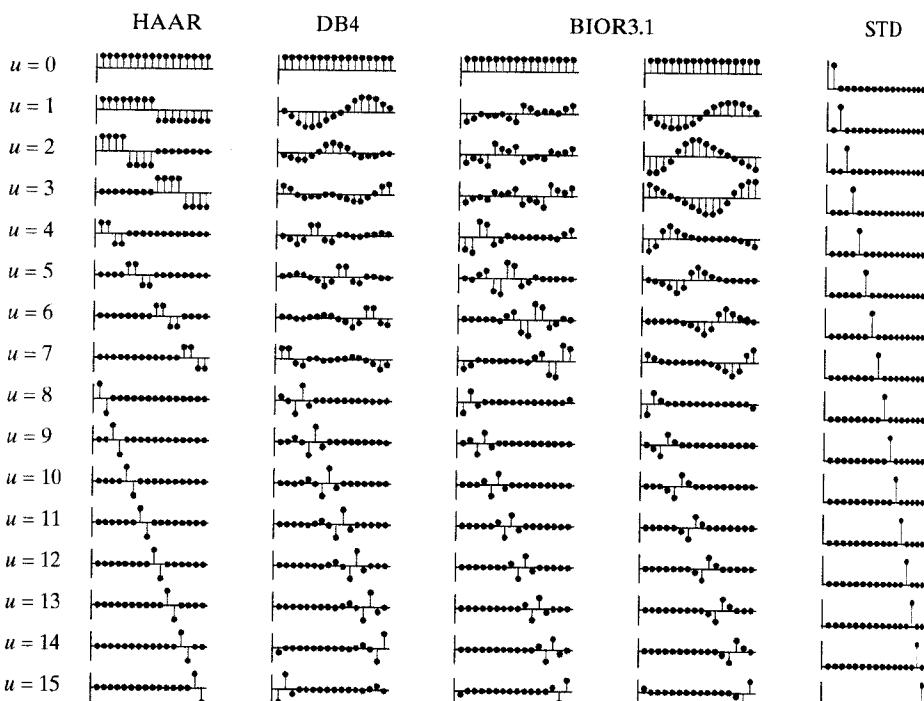
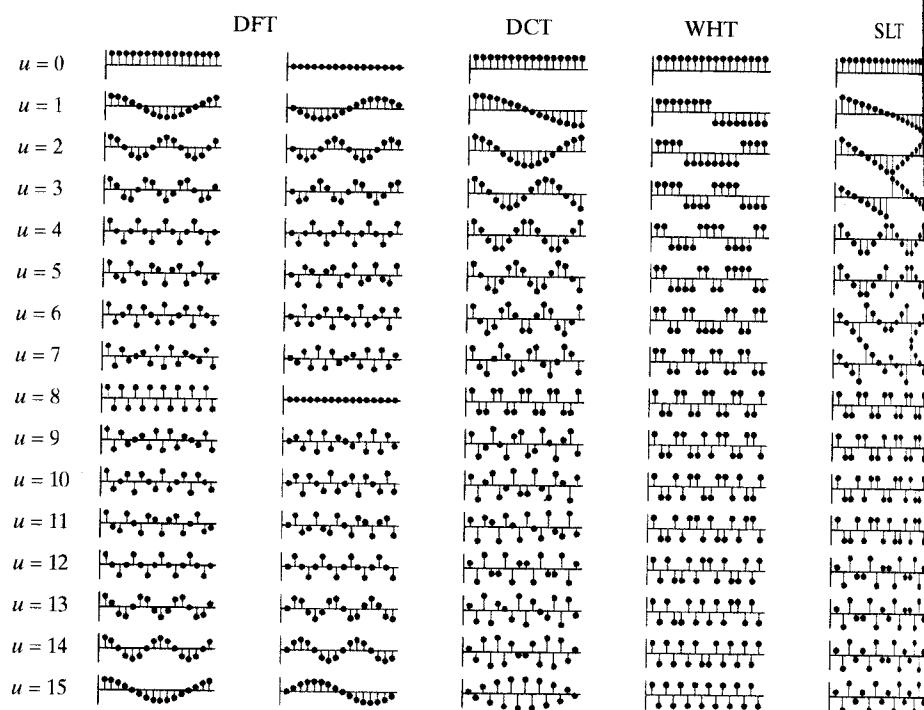


a b c d  
e f g h

**FIGURE 6.3**  
Basis vectors (for  $N = 16$ ) of some commonly encountered transforms:  
(a) Fourier basis (real and imaginary parts),  
(b) discrete Cosine basis,  
(c) Walsh-Hadamard basis,  
(d) Slant basis,  
(e) Haar basis,  
(f) Daubechies basis,  
(g) Biorthogonal B-spline basis and its dual, and  
(h) the standard basis, which is included for reference only (i.e., not used as the basis of a transform).



**FIGURE 6.4** (a) Basis function localization in the time-frequency plane shown as solid and dashed lines, respectively.

constant on the right side of Eq. (6-71) is  $\frac{1}{\sqrt{2}}$  if expressed in terms of angular frequency  $\omega$ . Equality is possible, but only with a Gaussian basis function. This transform is also a Gaussian function.

Since the situation is non-zero function to the Heisenberg cell in. Thus, while  $\sigma_t = 0$  since  $\sigma_t = \infty$ . That is, since the result frequency is initially non-zero  $\Im \{ \exp(2\pi j f_0 t) \}$ ,  $f = f_0$ . The small in he is accompa

Returning to the basis in Fi

<sup>†</sup>The energy c