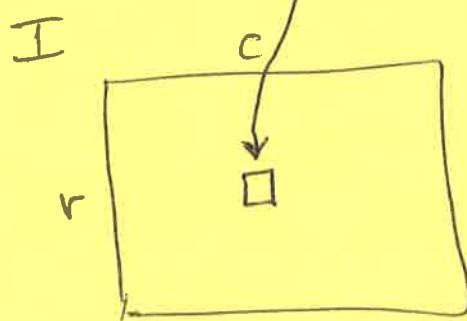


pixel: picture element



row, col:  $(r, c)$

$x, y$  [upper left]:  $(x, y)$

we have discussed values & meaning's

### Operations on images $A, B$

$\neg A$

$A + B$

$A - B$

$A \cdot * B$

$A ./ B$

$A + \checkmark$

$\tau$  value (positive)

$A - \checkmark$

$\tau$  value (positive)

Binary inverse  
negative image

sum

difference

product (pixel-wise)

quotient ("")

brightens

darkens

## Matlab

imadd  
imsubtract  
imabsdiff

} truncate to range

(312)

immultiply  
imdivide

increase contrast  
compare image differences

imcomplement

## Thresholding

im2bw

look at cell image

look at trees

Point operations = improve contrast for human viewing

## Logarithmic

$$I' = C \ln \left( 1 + (e^\sigma - 1) I \right)$$

↑ scales output      ↗ scales input      ↘ avoids  $\ln(0)$

$$C = \frac{2^{55}}{\log(1 + \max(I))} (e^\sigma - 1)$$

missing in book

\* increase dynamic range in dark regions  
 decrease camera gain → ↑ = "brighter"

exponential transform

$$I' = c \left[ (1+\alpha)^I - 1 \right]$$

$$c = \frac{255}{((1+\alpha)^{\max(I)} - 1)}$$

may enhance brighter regions

plot log + exp values

gamma transform

$$I' = c I^\gamma$$

enhances contrast of  
brighter parts of image

corrects for non-linear (analog) brightness  
sent to monitor.

see imadjust

Histograms : relative frequency of a gray level

normalized: sums to 1

imhist

thresholding: coins  $\geq 80$   
 $\text{combo}(\text{mat2gray}(\text{coins}), \text{coins} < 80)$ ;

graythresh ( $\bar{I}_{26}$ ) too high

## Adaptive Thresholding

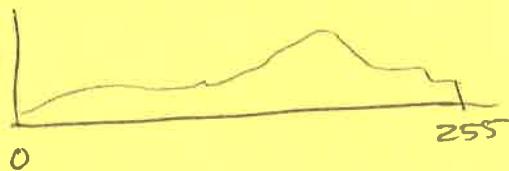
Local threshold

CS4640 - adapt

## Histogram Equalization

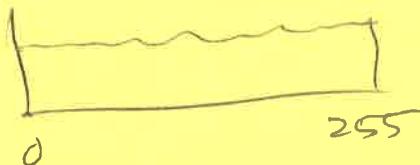
view histogram as probability of a gray level

Then :



Converting image so that all gray levels are equally likely will increase local contrast

Gives



Look at tom

imhist  
histeq

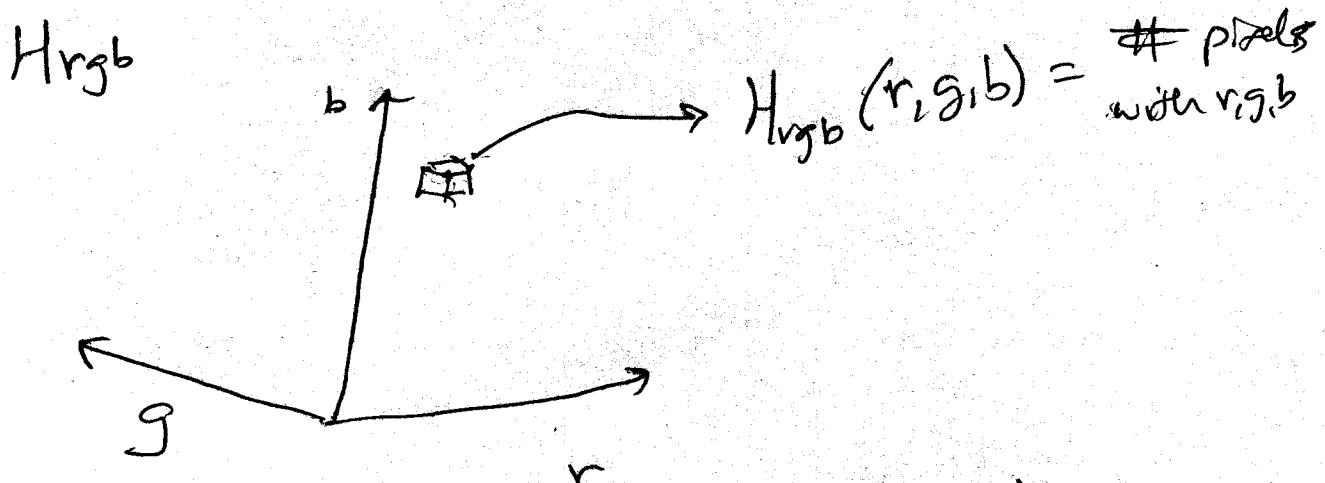
## Histogram matching

convert image to match histogram which characterizes a "type" of image or scene

Look at autumn & tom  
histeq(tom), imhist(autumn))

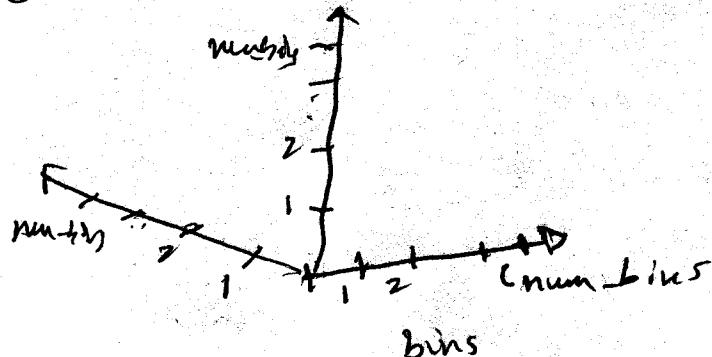
## Color histogram

- \* Most straight forward is  $256 \times 256 \times 256$  array



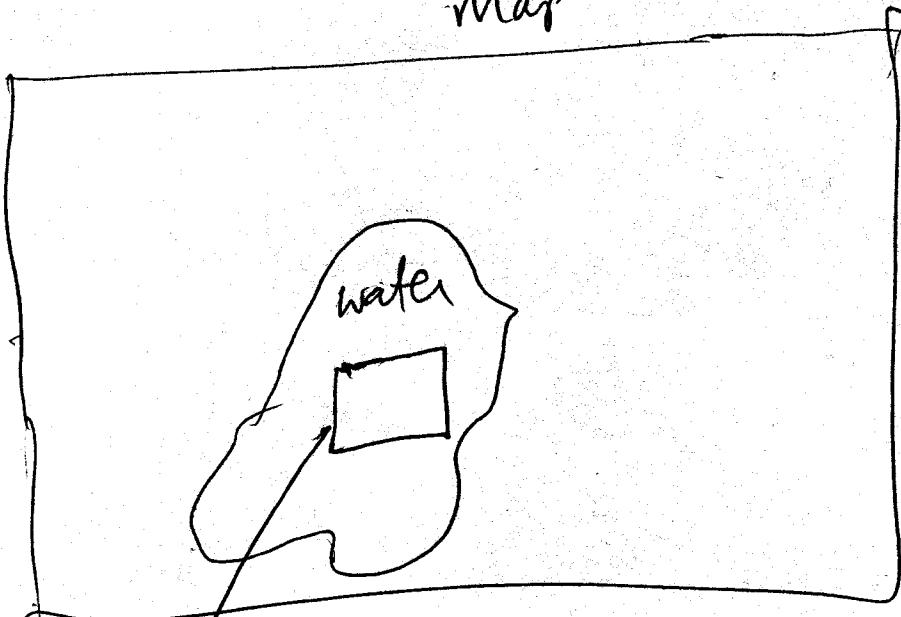
- \* Normalize it to make it a probability distribution

- \* Linearize it so it's  $P(x)$
- \* Linearity because  $(2^8)^3 = 2^{24}$  is big!
- \* Subsample because  $(im, num\_bins)$
- \*  $hc = CS6640\_hist\_color(im, num\_bins)$



How to use it?

Map



- ① → make a color histogram  
for water  $\rightarrow P$
- ② Go through entire image, and  
make a color histogram for a  
comparable window around each pond  
 $\rightarrow Q$
- ③ Compute the distance between  
the two distributions  $P, Q$   
 $\rightarrow$  Kullback-Leibler divergence

$$KL(P||Q) = \sum_{x \in X} P(x) \log \left( \frac{P(x)}{Q(x)} \right)$$

\* if  $P \equiv Q$  then  $\log \left( \frac{P(x)}{Q(x)} \right) = 0$   
 & divergence is 0

\* if  $P$  or  $Q \equiv 0$ , set log to 0  
 [hint: make sure neither  $P$  nor  $Q$  has 0 value]