

CS6640 week 2

* Assessment sheets — ipcam on C/D/E machines

* Preprocessing (Chap 3 Gonzalez)

* Transform Pixel Values (assume 0-255)

* $s = c \log(1+r)$

dark

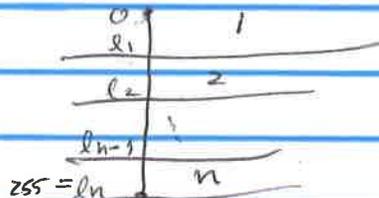
show edge images

* $s = cr^{\gamma}$

gamma

p. 142 Gonzalez

* level slicing :



ings =

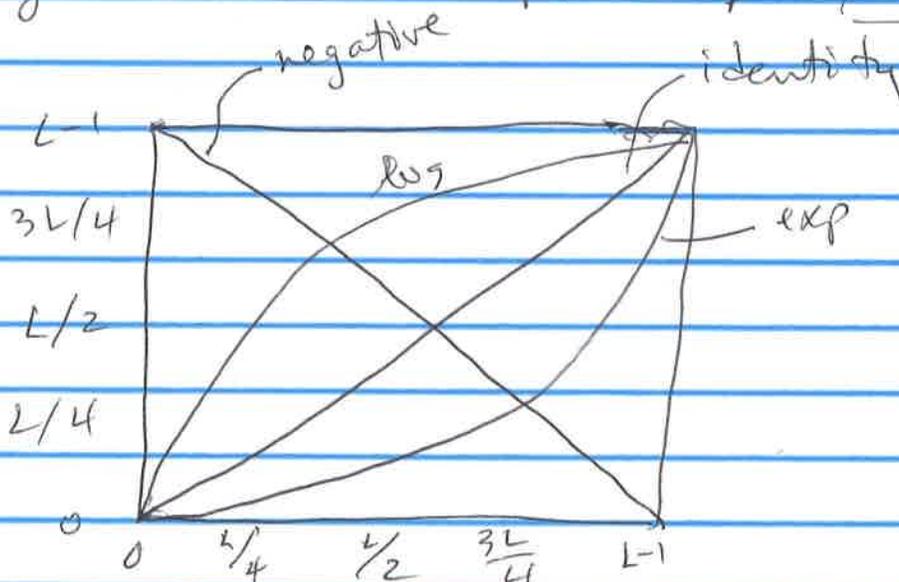
* histogram equalization

img he

then heq1, - heq2

plot heq1 heq2

Chart :



* slides 2, p. 1 : use snippet to get images show heq on them

(2/2)

Eliminating noise : $f(x) + n(x)$

* averaging

* median `medfilt2`

generally random
+ moves away from
actual value

Spatial filtering Chap 3 Gonzalez

Viewing image as a function, there are many mathematical operations that can be expressed in terms of computations on the neighbors of points.

Fig. - consider Taylor series at a point b

$$f(x) = f(b) + f'(b)(x-b) + \frac{f''(b)(x-b)^2}{2!} \dots$$

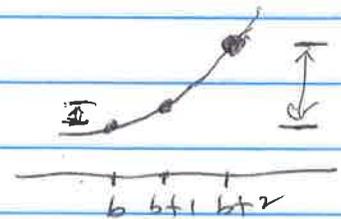
Truncate and rearrange to get estimate of derivative at b :

$$f'(b) = \frac{f(x) - f(b)}{(x-b)}$$

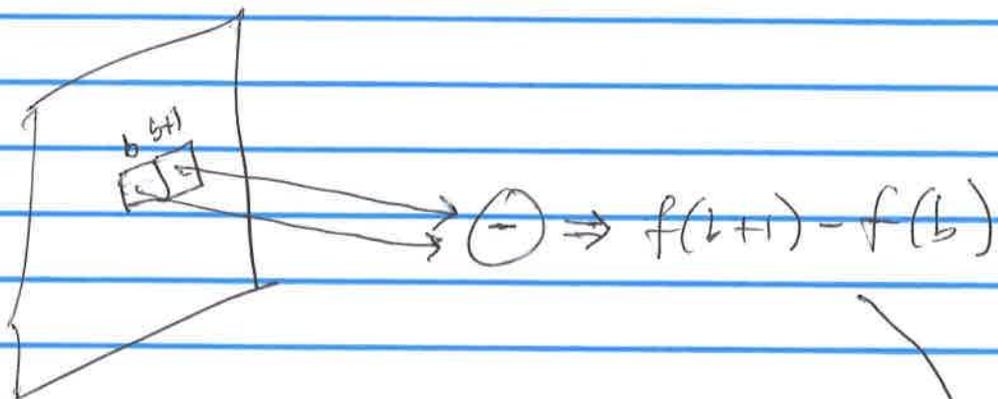
For an image, this means

$$f'_1(b) = \frac{f(b+1) - f(b)}{1}$$

$$f'_2(b) = \frac{f(b+2) - f(b)}{2}$$



but $f'(b)$ can be computed at each pixel

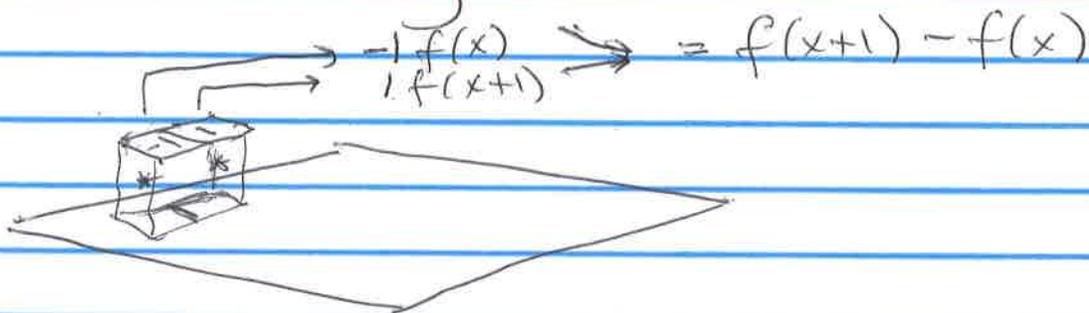


Consider equation in slides 4:

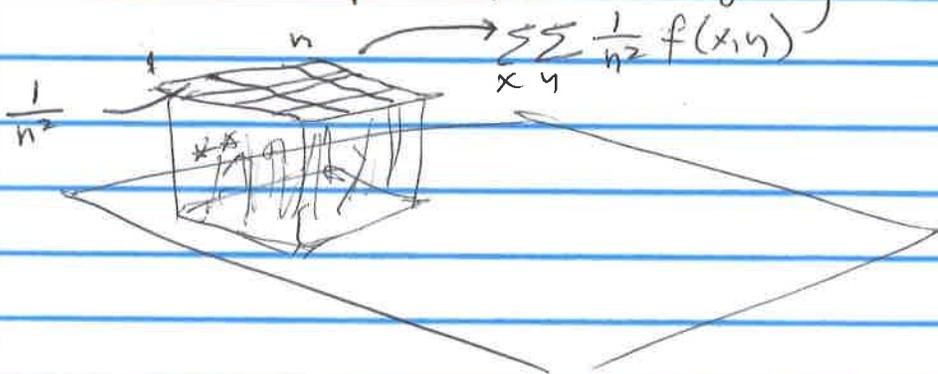
$$g(x) = \sum_{s=-a}^a w(s) f(x+s) = \sum_{s=b}^{b+1} w(s) f(x+s)$$

where $w = [-1, 1]$

View as moving window



Another example is averaging:

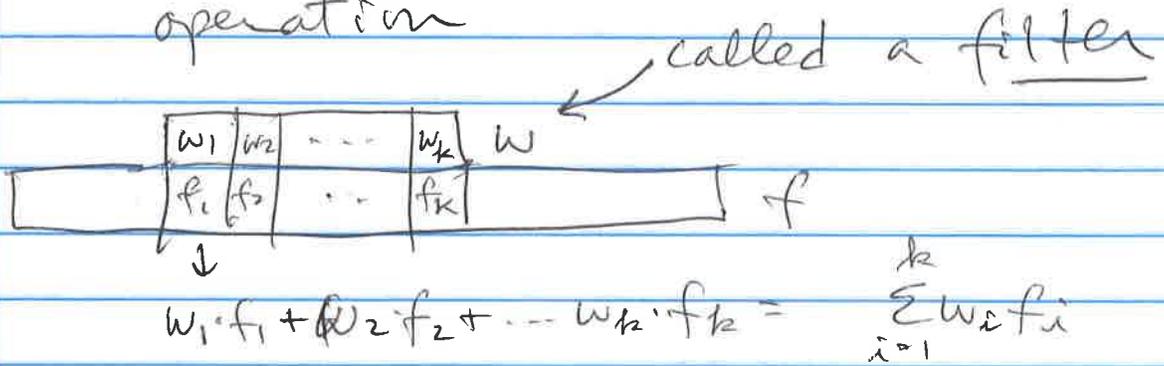


2/4

Correlation computes result of moving window across image to every location

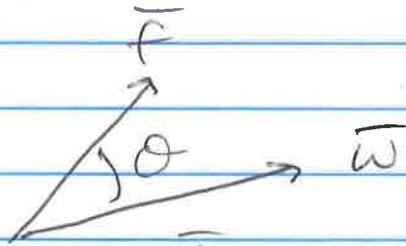
* boundaries

* what is correlation as mathematical operation



dot product

i.e., scaled version of $\cos \theta$



$$\bar{w} \cdot \bar{f} = |\bar{w}| |\bar{f}| \cos(\theta)$$

Show imfilter using $[-1, 1]$ on shapes
"X11/121" " " noise

imfilter('Gaussian', 15, 3)
(special)

run Gaussian on shapesga =

Pattern Matching in an image

a filter responds with high value when image "is like it" p. 16 of slides 4

but when do 2 images "match"

- * same gray values
- * small variation in gray values
- * small scale shift in gray values

Match detection: filter 'f' subwindow

$$* \sum_{x,y} |w(x,y) - f(x,y)| / \text{size-of-window}$$

res = . . .

* correlation: matches sky

res-correl

* correlation coeff

* dot product normalized

* show example p. 22 of slides 4

res = conv2(match_fg,

$$\text{convolution: } g(x,y) = \sum \sum w(s,t) f(x-s, y-t)$$

$$\text{flipud}(\text{flip}(\text{f}))$$