CS 6530: Advanced Database Systems Fall 2024

Lecture 15 Query processing and optimization

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Lifecycle of a Query

The Netflix Schema

Ratings

Movies

Example SQL Query

WHERE R.MID = M.MID

AND R.Stars = 5

GROUP BY M.Year

ORDER BY NumBest DESC

Suppose, we also have a B+Tree Index on Ratings (Stars)

Logical-Physical Separation in DBMSs

Logical = Tells you "what" is computed Physical = Tells you "how" it is computed

Declarativity!

Declarative "querying" (logical-physical separation) is a key system design principle from the RDBMS world: Declarativity often helps improve *user productivity* Enables behind-the-scenes *performance optimizations*

People are still (re)discovering the importance of this key system design principle in diverse contexts… (MapReduce/Hadoop, networking, file system checkers, interactive data-vis, graph systems, large-scale ML, etc.)

Operator Implementations

Need scalability to larger-thanmemory (on-disk) datasets and high performance at scale! **Select Project Join Group By Aggregate (Optional) Set Operations**

But first, what metadata does the RDBMS have?

System Catalog

❖ Set of pre-defined relations for metadata about DB (schema)

❖ For each **Relation**:

Relation name, File name

File structure (heap file vs. clustered B+ tree, etc.)

Attribute names and types; Integrity constraints; Indexes

❖ For each **Index**:

Index name, Structure (B+ tree vs. hash, etc.); IndexKey

❖ For each **View**:

View name, and View definition

Statistics in the System Catalog

❖ RDBMS periodically collects stats about DB (instance)

❖ For each **Table R**:

Cardinality, i.e., number of tuples, **NTuples (R)**

Size, i.e., number of pages, **NPages (R)**, or just **N**_{**R**} or **N**

❖ For each **Index X**:

Cardinality, i.e., number of distinct keys **IKeys (X)** Size, i.e., number of pages **IPages (X)** (for a B+ tree, this is the number of leaf pages only) Height (for tree indexes) **IHeight (X)** Min and max keys in index **ILow (X)**, **IHigh (X)**

Operator Implementations

Selection: Access Path

$\sigma_{SelectCondition}({\bf R})$

- ❖ Access path: how exactly is a table read ("accessed")
- ❖ Two common access paths:

File scan:

- Read the heap/sorted file; apply SelectCondition
- I/O cost: O(N)

Indexed:

Use an index that matches the SelectCondition

I/O cost: Depends! For equality check, O(1) for hash index,

and O(log(N)) for B+-tree index

Indexed Access Path

 $\sigma_{SelectCondition}({\bf R})$

- An Index matches a predicate if it can avoid accessing most tuples that violate the predicate (reduces I/O!)
- ❖ Examples:

R RatingID Stars RateDate UID MID $\sigma_{\text{stars}=5}$ (R)

Hash index on R(Stars) matches this predicate

CI. B+ tree on R(Stars) matches too

What about uncl. B+ tree on R(Stars)?

Selectivity of a Predicate

$$
\sigma_{SelectCondition}({\bf R})
$$

❖ Selectivity of SelectionCondition = percentage of number of tuples in R satisfying it (in practice, count pages, not tuples)

$$
\sigma_{Stars=5}(\mathbf{R})
$$

\nSelectivity = 2/7 ~ 28%
\n
$$
\sigma_{Stars=2.5}(\mathbf{R})
$$

\nSelectivity = 3/7 ~ 43%
\n
$$
\sigma_{Stars<2}(\mathbf{R})
$$

\nSelectivity = 1/7 ~ 14%

Selectivity and Matching Indexes

◆ An Index matches a predicate if it brings I/O cost very close to

(N * predicate's selectivity); compare to file scan!

R

$$
\sigma_{Stars=5}(\mathbf{R})
$$

 $N \times$ Selectivity = 2

Hash index on R(Stars) Cl. B+ tree on R(Stars) Uncl. B+ tree on R(Stars)?

Assume only one tuple per page

Matching an Index: More Examples

R RatingID Stars RateDate UID MID

$\sigma_{Stars>4}({\bf R})$

Hash index on R(Stars) does not match! Why?

Cl. B+ tree on R(Stars) still matches it! Why?

Cl. B+ tree on R(Stars,RateDate)?

Cl. B+ tree on R(Stars,RateDate,MID)?

Cl. B+ tree on R(RateDate,Stars)?

Uncl. B+ tree on R(Stars)?

B+ tree has a nice "prefix-match" property!

Operator Implementations

Group By Aggregate (Optional) Set Operations

Project

R RatingID Stars RateDate UID MID

❖ SELECT R.MID, R.Stars FROM Ratings R Trivial to implement! Read R and discard other attributes *I/O cost:* N_R , *i.e., Npages(R) (ignore output write cost)*

❖ SELECT DISTINCT R.MID, R.Stars FROM Ratings R $\pi_{MID, Stars}({\bf R})$ Relational Project!

Need to deduplicate tuples of (MID,Stars) after discarding other attributes; but these tuples might not fit in memory!

Project: 2 Alternative Algorithms

 $\pi_{ProjectionList}(\mathbf{R})$

❖ **Sorting-based**:

Idea: Sort R on ProjectionList (External Merge Sort!)

1. In Sort Phase, discard all other attributes 2. In Merge Phase, eliminate duplicates Let T be the temporary "table" after step 1 **I/O cost:** N_R + N_T + EMSMerge(N_T)

❖ **Hashing-based**:

Idea: Build a hash table on R(ProjectionList)

Hashing-based Project

$\pi_{ProjectionList}(\mathbf{R})$

❖ To build a hash table on R(ProjectionList), read R and discard other attributes on the fly

❖ If the hash table fits entirely in memory:

Done!

I/O cost: N_R

Needs $B \geq F \times N_R$

❖ If not, 2-phase algorithm:

Deduplication

Partition

F x P pages ("**Fudge factor**" F ~ 1.4 for overheads) *Q: What is the size of a hash table built on a P-page file?*

CHOOL OF COMPUTING

Project: Comparison of Algorithms

❖ Sorting-based vs. Hashing-based:

1. Usually, I/O cost (excluding output write) is the same:

 N_R + 2N_T (why is EMSMerge(N_T) only 1 read?)

2. Sorting-based gives sorted result ("nice to have")

- 3. I/O could be higher in many cases for hashing (why?)
- ❖ In practice, sorting-based is popular for Project
- **❖ If we have any index with ProjectionList as subset of IndexKey** Use only leaf/bucket pages as the "T" for sorting/hashing
- **❖ If we have tree index with ProjectionList as prefix of IndexKey**

Leaf pages are already sorted on ProjectionList (why?)!

Just scan them in order and deduplicate on-the-fly!

Operator Implementations

Group By Aggregate (Optional) Set Operations

Join

This course: we focus primarily on equi-join (the most common, important, and well-studied form of join)

We study 4 major (equi-) join implementation algorithms:

Page/Block Nested Loop Join (PNLJ/BNLJ)

Index Nested Loop Join (INLJ)

Sort-Merge Join (SMJ)

Hash Join (HJ)

Nested Loop Joins: Basic Idea

"Brain-dead" idea: nested *for loops* over the tuples of R and U!

- 1. For each tuple in Users, t_{U} :
- 2. For each tuple in Ratings, t_R :
- 3. If they match on join attribute, "stitch" them, output

But we read pages from disk, not single tuples!

Page Nested Loop Join (PNLJ)

"Brain-dead" nested *for loops* over the pages of R and U!

- 1. For each page in Users, p_{U} :
- 2. For each page in Ratings, p_R :
- 3. Check each pair of tuples from p_R and p_U
- 4. If any pair of tuples match, stitch them, and output

U is called "Outer table" R is called "Inner table"

Outer table should be the smaller one:

<u>I/O Cost:</u> $N_{II} + N_{II} \times N_{R}$

 $N_U \leq N_R$

Q: How many buffer pages are needed for PNLJ?

Block Nested Loop Join (BNLJ)

Basic idea: More effective usage of buffer memory (B pages)!

- 1. For each sequence of B-2 pages of Users at-a-time :
- 2. For each page in Ratings, p_R :
- 3. Check if any pR tuple matches any U tuple in memory
- 4. If any pair of tuples match, stitch them, and output

$$
\underline{\text{1/O Cost:}} \quad N_U + \left\lceil \frac{N_U}{B-2} \right\rceil \times N_R
$$

Step 3 ("brain-dead" in-memory all-pairs comparison) could be quite slow (high CPU cost!)

In practice, a hash table is built on the U pages in-memory to reduce #comparisons (how will I/O cost change above?)

Index Nested Loop Join (INLJ)

Basic idea: If there is an index on R or U, why not use it?

Suppose there is an index (tree or hash) on R (UID)

- 1. For each sequence of B-2 pages of Users at-a-time :
- 2. Sort the U tuples (in memory) on UserID
- 3. For each U tuple t_{U} in memory :
- 4. Lookup/probe index on R with the UserID of t_{U}
- 5. If any R tuple matches it, stitch with t_{U} , and output

 I/O Cost: $Nu + NTuples(U)$ x R

Index lookup cost I_R depends on index properties (what all?) A.k.a *Block* INLJ (tuple/page INLJ are just silly!)

Sort-Merge Join (SMJ)

Basic idea: Sort both R and U on join attr. and merge together!

- 1. Sort R on UID
- Sort U on UserID
- 3. Merge sorted R and U and check for matching tuple pairs
- If any pair matches, stitch them, and output

<u>I/O Cost: $EMS(N_R) + EMS(N_U) + N_R + N_U$ </u>

If we have "enough" buffer pages, an improvement possible: *No need to sort tables fully; just merge all their runs together!*

Sort-Merge Join (SMJ)

Basic idea: Obtain runs of R and U and merge them together!

- 1. Obtain runs of R sorted on UID (only Sort phase)
- Obtain runs of U sorted on UserID (only Sort phase)
- 3. Merge all runs of R and U together and check for matching tuple pairs
- If any pair matches, stitch them, and output

<u>I/O Cost: $3 \times (N_R + N_U)$ </u>

How many buffer

pages needed? So, we need $B > (N_R + N_U)/2B$
So, we need $B > (N_R + N_U)/2B$ # runs after steps 1 & $2 \sim N_R/2B + N_U/2B$ Just to be safe: $B > \sqrt{N_R}$

Hash Join (HJ)

Basic idea: Partition both on join attr.; join each pair of partitions

- 1. Partition U on UserID using h1()
- Partition R on UID using h1()
- 3. For each partition of Ui :
- 4. Build hash table in memory on Ui
- 5. Probe with Ri alone and check for matching tuple pairs
- 6. If any pair matches, stitch them, and output

 I/O Cost: $3 \times (N_{\text{H}} + N_{\text{R}})$

U becomes "Inner table" R is now "Outer table"

 $N_{\text{U}} \leq N_{\text{R}}$

This is very similar to the hashing-based Project!

Hash Join

Similarly, partition R with same h1 on UID

Memory requirement: $N_U \leq N_R$ $(B-2)$ >= F x N_U / $(B-1)$ Rough: $B > \sqrt{F \times N_U}$

<u>**I/O cost:** $3 \times (N_U + N_R)$ </u>

Q: What if B is lower? Q: What about skews?

exploits memory better and has slightly lower I/O cost

Join: Comparison of Algorithms

❖ Block Nested Loop Join vs Hash Join:

Identical if $(B-2)$ > F x N_U! Why? I/O cost?

Otherwise, BNLJ is potentially much higher! Why?

❖ Sort Merge Join vs Hash Join:

To get I/O cost of 3 x (N_U + N_R), SMJ needs: $B > \sqrt{N_R}$ But to get same I/O cost, HJ needs only: $B > \sqrt{F \times N_U}$ Thus, HJ is often more memory-efficient and faster

 $N_{\rm H} \leq N_{\rm R}$

B buffer pages

Other considerations:

HJ could become much slower if data has skew! Why? SMJ can be faster if input is sorted; gives sorted output Query optimizer considers all these when choosing phy. plan

Join: Crossovers of I/O Costs

More General Join Conditions

$$
A \bowtie_{JoinCondition} B \qquad \qquad \mathsf{N_A} \leq \mathsf{N_B}
$$

❖ If JoinCondition has only *equalities*, e.g., A.a1 = B.b1 and $A.a2 = B.b2$

HJ: works fine; hash on (a1, a2)

SMJ: works fine; sort on (a1, a2)

INLJ: use (build, if needed) a *matching* index on A What about disjunctions of equalities?

◆ If JoinCondition has inequalities, e.g., A.a1 > B.b1 HJ is useless; SMJ also mostly unhelpful! Why? INLJ: build a B+ tree index on A Inequality predicates might lead to large outputs!

Operator Implementations

Need scalability to larger-thanmemory (on-disk) datasets and high performance at scale! **Select Project**

Join

Group By Aggregate

(Optional) Set Operations

Group By Aggregate

 $\gamma_{X,Agg}$ "**Grouping Attributes**" A numerical attribute in R (Subset of **R**'s attributes) "**Aggregate Function**" (SUM, COUNT, MIN, MAX, AVG)

❖ **Easy case: X is empty!**

Simply aggregate values of Y

Q: How to scale this to larger-than-memory data?

❖ **Difficult case: X is not empty**

"Collect" groups of tuples that match on X, apply Agg(Y) 3 algorithms: sorting-based, hashing-based, index-based

Group By Aggregate: Easy Case

❖ All 5 SQL aggregate functions computable *incrementally*, i.e., one tuple at-a-time by tracking some "running information"

MAX: Maximum seen so far 3.0; 5.0 MIN is similar 3.0; 2.5; 1.0

Q: What about AVG?

Track both SUM and COUNT! In the end, divide SUM / COUNT

Group By Aggregate: Difficult Case

❖ Collect groups of tuples (based on X) and aggregate each

AVG for 21 is 4.0

AVG for 55 is 3.0

AVG for 80 is 2.5

Q: How to collect groups? Too large?

Group By Agg.: Sorting-Based

- Sort R on X (drop all but $X \cup \{Y\}$ in Sort phase to get T)
- Read in sorted order; for every distinct value of X:
- 3. Compute the aggregate on that group ("easy case")
- 4. Output the distinct value of X and the aggregate value

I/O Cost: N^R + N^T + EMSMerge(NT)

Q: Which other sorting-based op. impl. had this cost?

Improvement: Partial aggregations during Sort Phase!

Q: How does this reduce the above I/O cost?

Group By Agg.: Hashing-Based

- Build h.t. on X; bucket has X value and running info.
- Scan R; for each tuple in each page of R:
- 3. If h(X) is present in h.t., *update* running info.
- 4. Else, *insert* new X value and *initialize* running info.
- 5. H.t. holds the final output in the end!

<u>I/O Cost: N_R</u>

Q: What if h.t. using X does not fit in memory

(Number of distinct values of X in R is too large)?

Group By Agg.: Index-Based

◆ Given B+ Tree index s.t. X U {Y} is a subset of IndexKey: Use leaf level of index instead of R for sort/hash algo.!

❖ Given B+ Tree index s.t. X is a prefix of IndexKey: Leaf level already sorted! Can fetch data records in order If AltRecord approach used, just one scan of leaf level!

Q: What if it does not use AltRecord?

Q: What if X is a non-prefix subset of IndexKey?

Operator Implementations

Need scalability to larger-thanmemory (on-disk) datasets and high performance at scale! **Select Project Join**

Group By Aggregate

(Optional) Set Operations

Set Operations

 \div Cross Product: $A \times B$ **Trivial! BNLJ suffices!**

 \div Intersection: A \cap B

Logically, an equi-join with JoinCondition being a conjunction of all attributes; same tradeoffs as before

- \div Union: $A \cup B$
- \div Difference: A B

Similar to intersection, but need to deduplicate upon matches and output only once! Sounds familiar?

Union/Difference Algorithms

❖ Sorting-based: Similar to a SMJ A and B. Twists:

- $A \cup B$: *deduplicate* matching tuples during merging
- $A B$: exclude matching tuples during merging
- ❖ Hashing-based: Similar to HJ of A and B. Twists:

Build hash table (h.t.) on Bi

 $A \cup B$: probe h.t. with Ai; if pair matches, discard tuple

else, *insert* Ai tuple into h.t.; h.t. holds output!

 $A - B$: probe h.t. with Ai; if pair matches, discard tuple else, *output* Ai tuple directly

